

Motivation: Computer-Aided Design/Optimization of Wear-Resistant Surfaces

There are more than 100 wear laws in the literature. This is no surprise as wear can be the result of several different mechanisms acting in combination like:

- adhesive wear
- abrasive wear
- fatigue
- fretting wear
- erosive wear

However, in order to achieve the objective of an Computer-Aided Design of Multi-Scale Surface Structures as proposed in 2010 (see Fig. 1) one has to account for the complex nature of wear by introducing a general wear law. Such an approach would facilitate an application-tailored design or optimization of arbitrarily structured surfaces by means of model-based simulations saving a lot of money for scarce raw materials and time for time-consuming trial-and-error testing (Fig. 2).

Fig. 1 (c.f. [1])

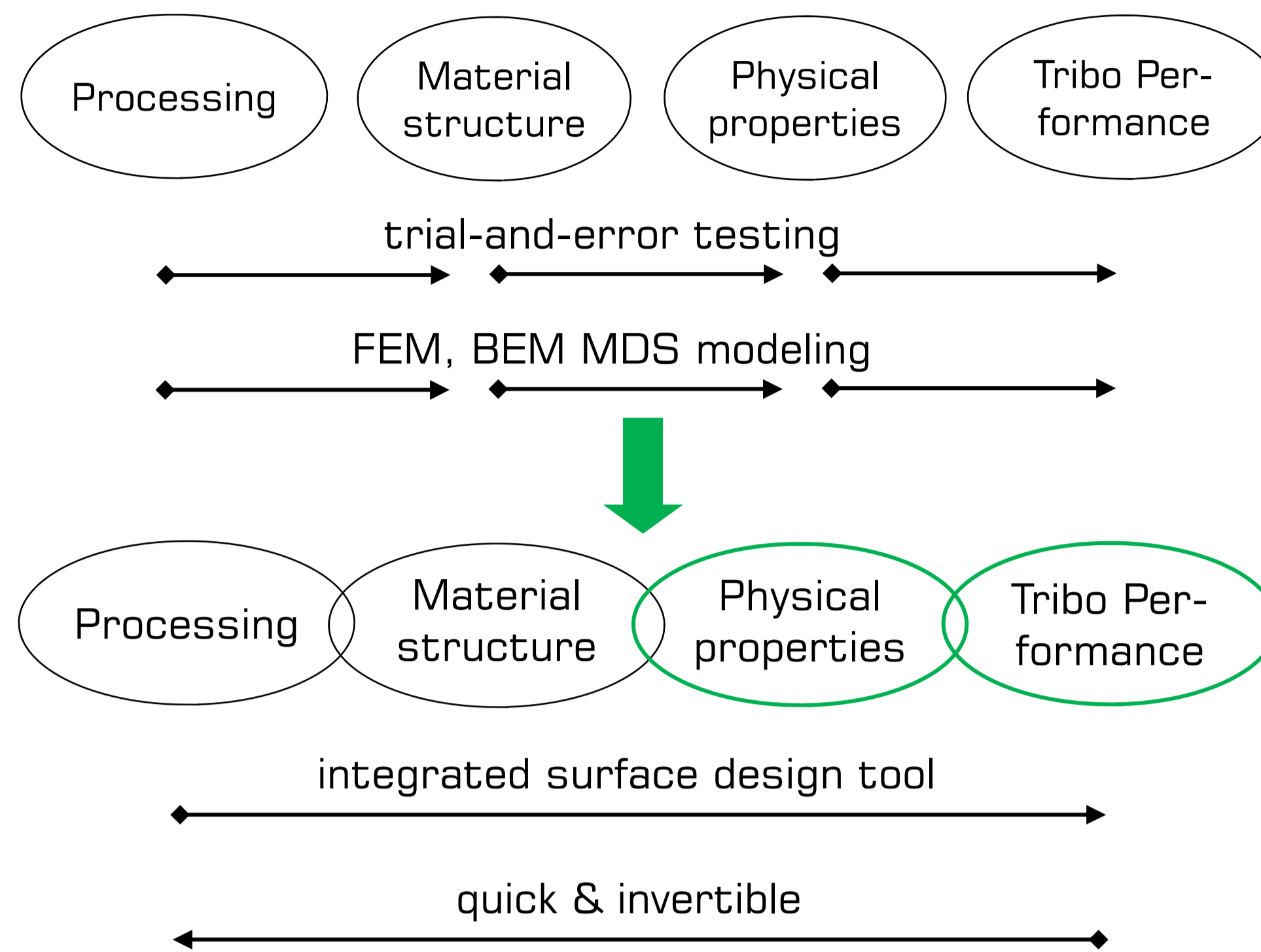
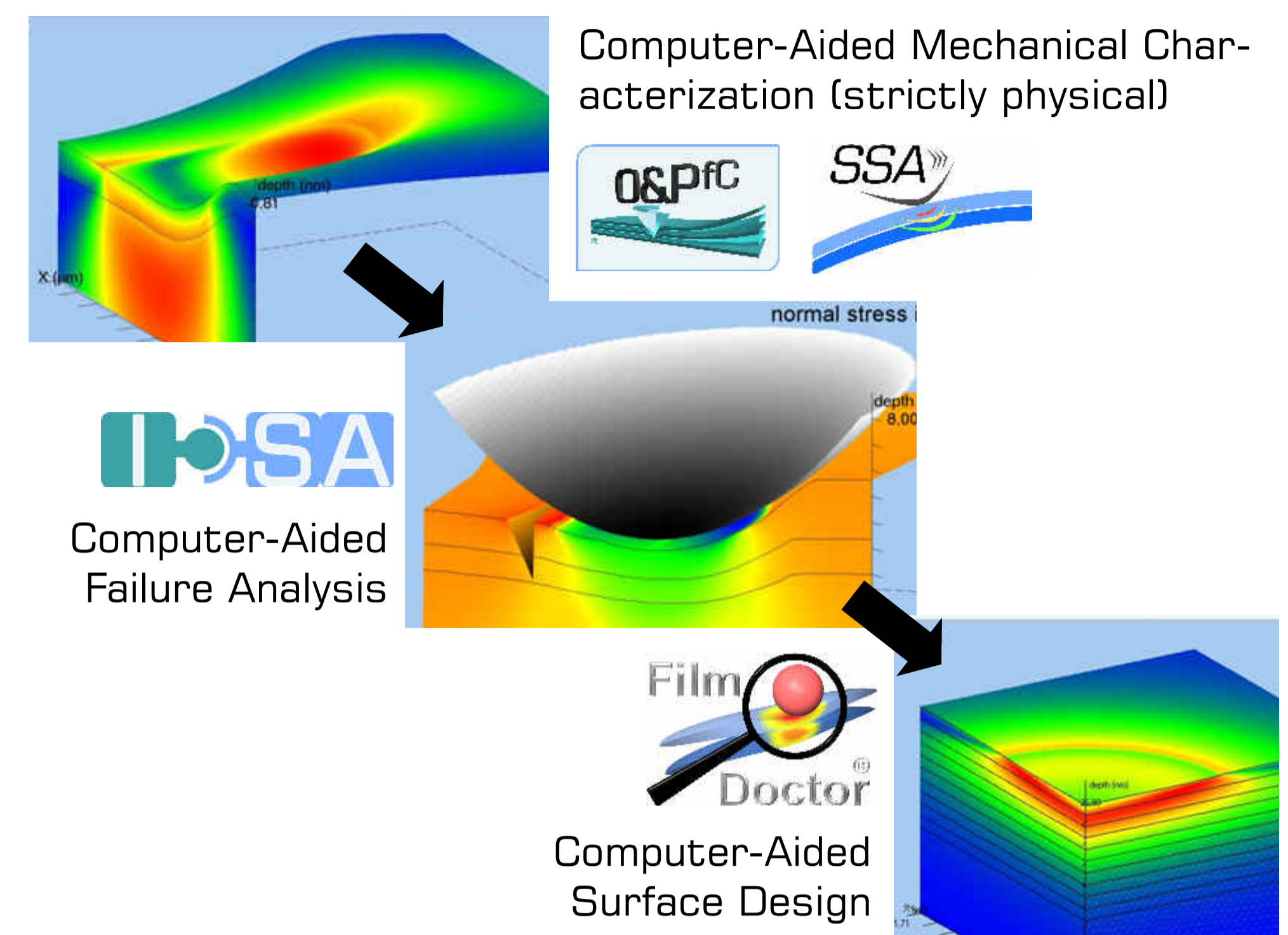


Fig. 2 (c.f. [2])



Yet Another Wear Law? No, a General Approach.

All the many types of wear can be incorporated into a single tribology law by extracting decomposition limits from first principle approaches [3-4] and comparing them to the contact fields of the complex multi-physics multi-body model describing the tribological effect. In the most simple case, any tribological process can be generalized as (c.f. [5-6]):

$$tribo-effect_{ij} = \hat{k}_{ijkl}^{\sigma} \sigma^{kl} + \hat{k}_{ijkl}^{\epsilon} \epsilon^{kl} + \hat{k}_{ijkl}^u u^k u^l + \sum_{n=1}^N \hat{k}_{ij}^{S_n} \delta_{ij}^n S_n$$

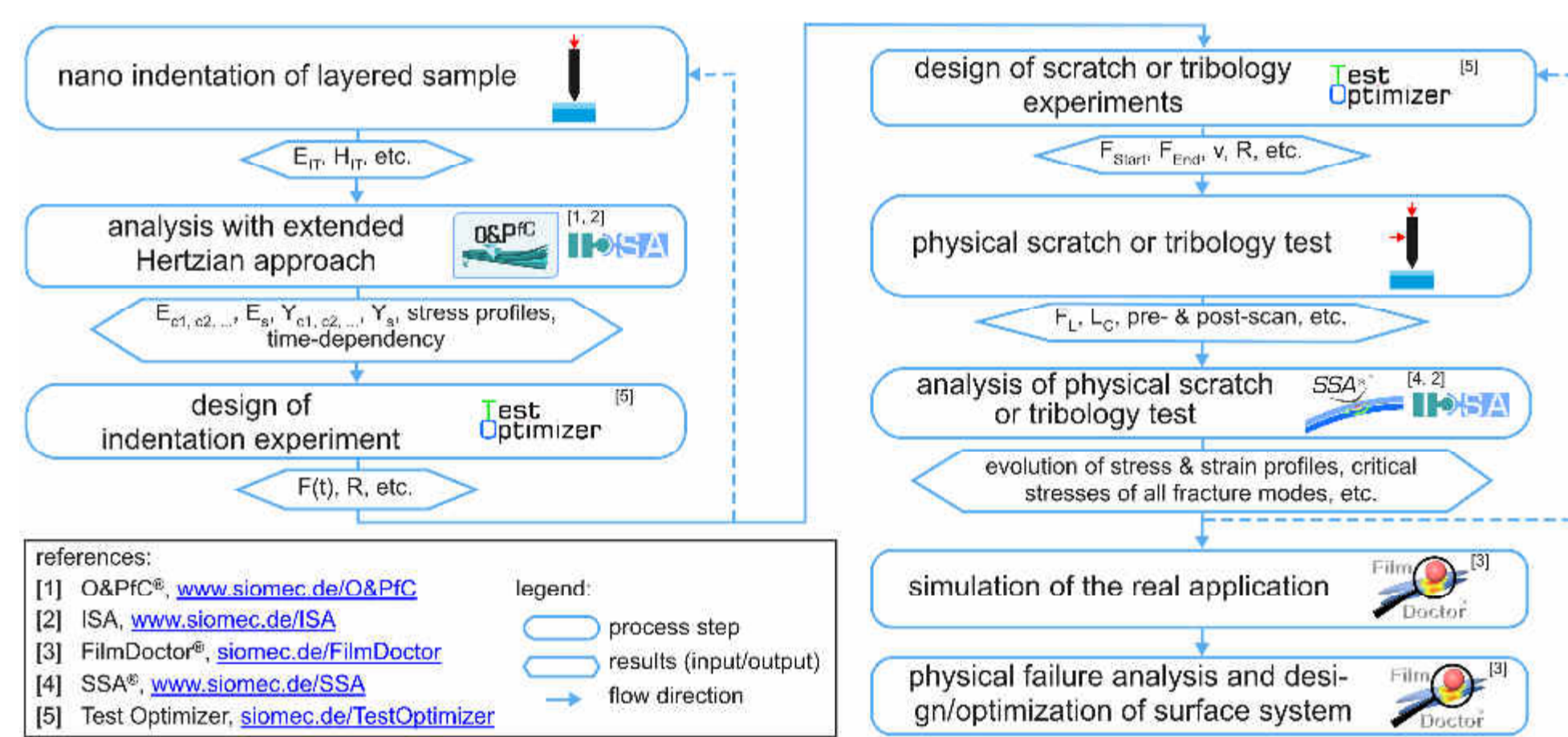
Luckily, in most cases it is sufficient to consider only the stresses of the tribological contact, yielding:

$$tribo-effect_{ij} \equiv w_{ij} = \hat{k}_{ijkl} \sigma^{kl} \equiv \delta_{ij} \left(k_{dvM} \frac{\sigma_{vM}}{Y(T)} \cdot e^{-A_k \bar{r}} \right)$$

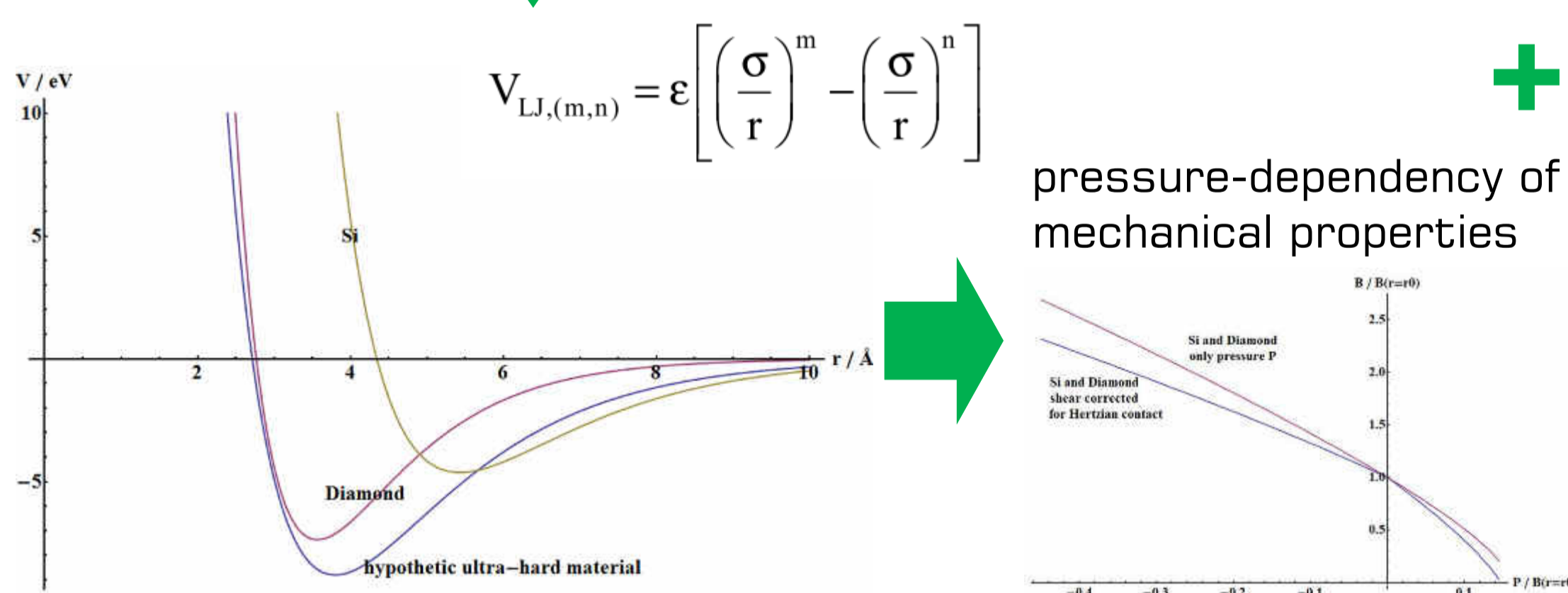
However, in order to not only properly calculate the contact fields of tribo experiments or applications but also correctly determine the wear moduli k_{ijkl} one has to overcome some obstacles:

- mechanical characterization strictly physical
 - quasi-static experiments → dynamic contacts
 - friction → temperature fields
 - phonons, shock waves
 - time-dependent material behavior
 - non-linearity
 - inhomogeneity (not only due to layered structure)
 - from mechanical properties to wear performance
- Tools from absolutely different fields of physics will be necessary to overcome these obstacles.

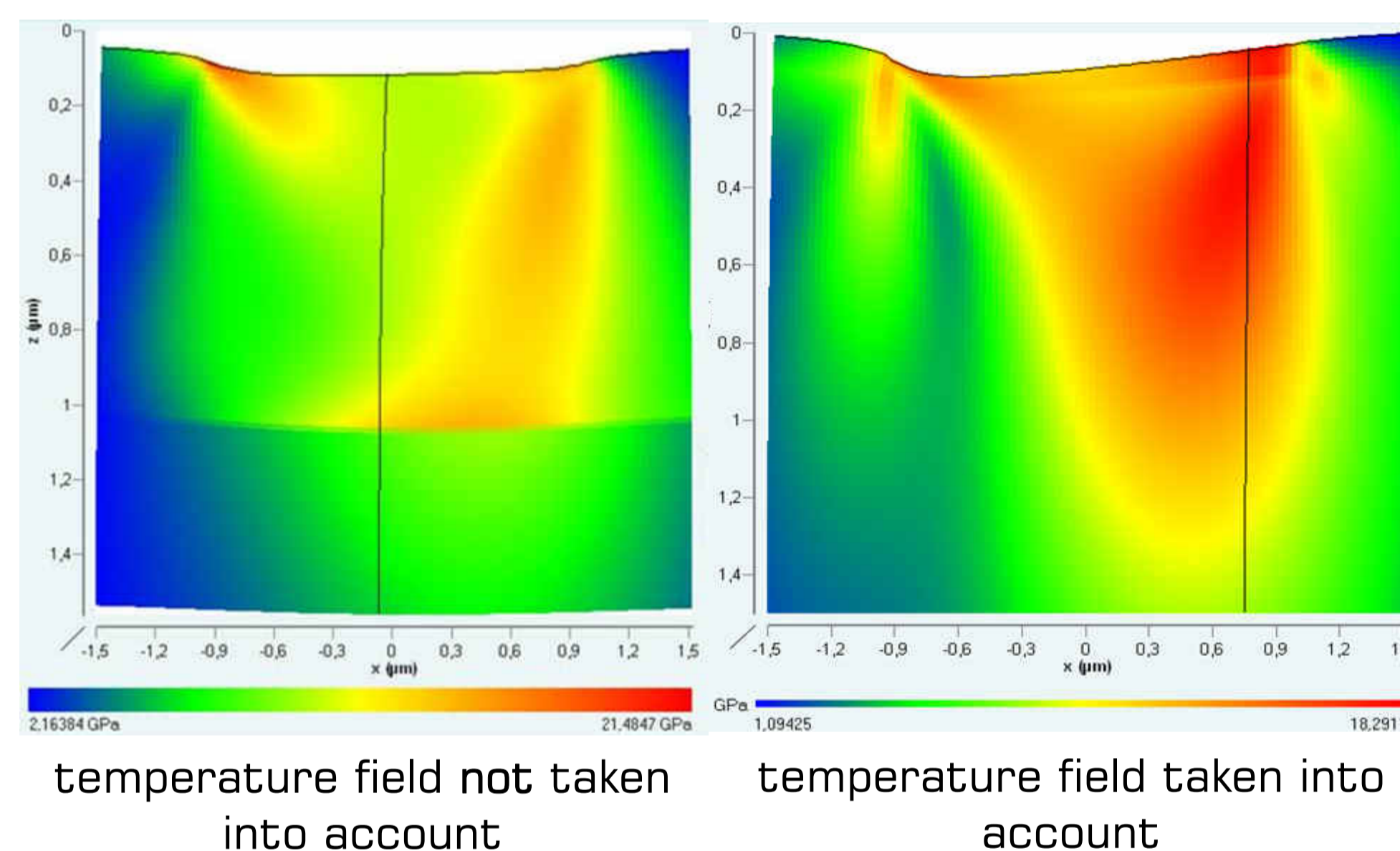
Obstacle #1: Physical characterization of mechanic material behaviour



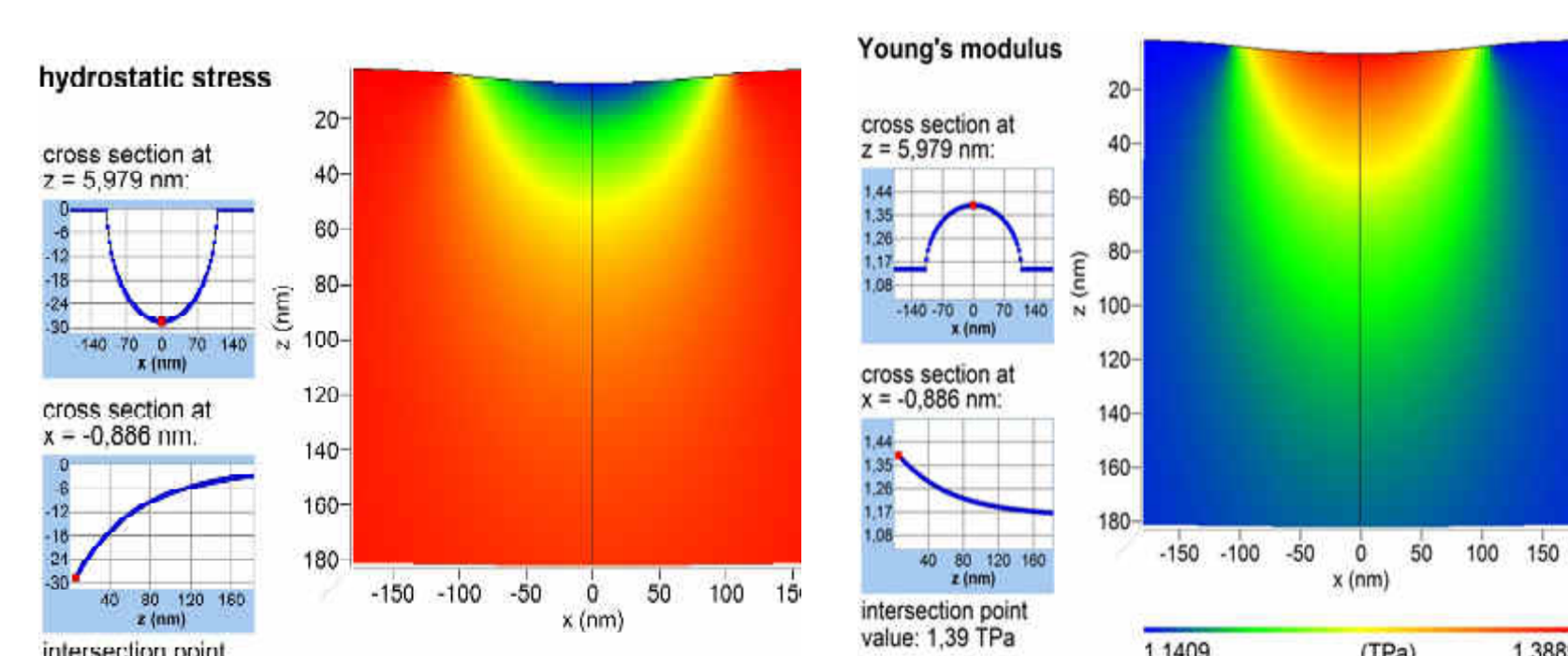
Obstacle #4: From mechanical properties to tribo performance



Obstacle #2: Friction → Temperature



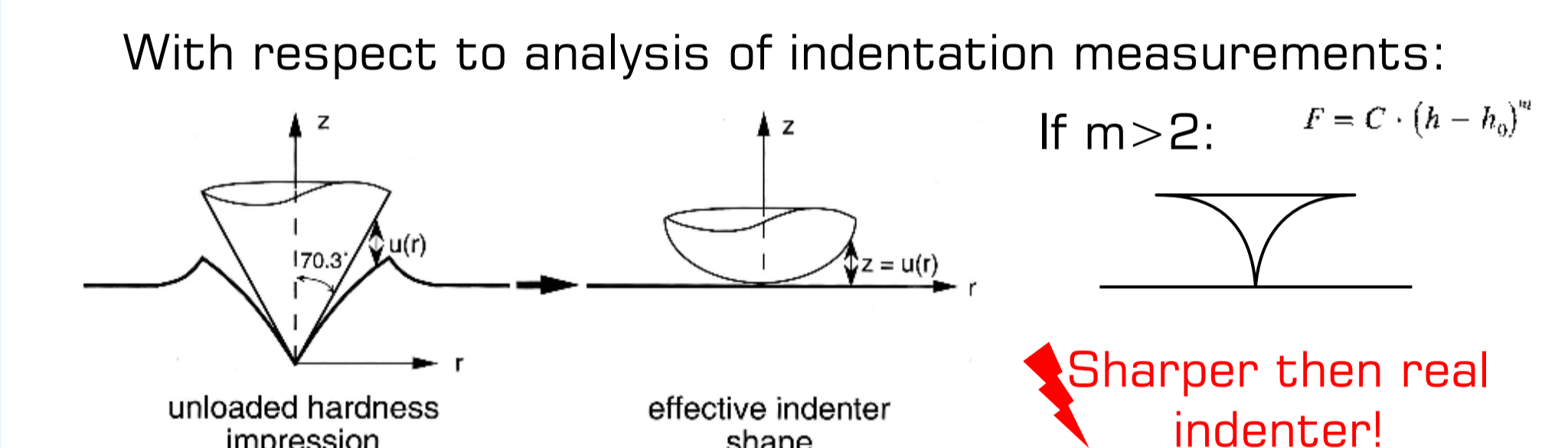
decomposition parameters (decomposition strength)



Obstacle #3: Time-Dependency

Classic standard linear solid for individual interactions: $E(t) = E_0 + E_1 e^{-\frac{t}{\tau}}$

Resulting phenomenological time-dependent E: $E(t) = E_0 + E_1 e^{-\frac{t}{\tau}} + \bar{\tau} \cdot E_2 e^{-\frac{t}{\tau}} \frac{t}{\tau^2} + \bar{\tau} \cdot \bar{\tau} \cdot \frac{\left(E_3 e^{-\frac{t}{\tau}} \frac{t}{\tau^2} \right)^2}{4(E_0 + E_1 e^{-\frac{t}{\tau}})}$



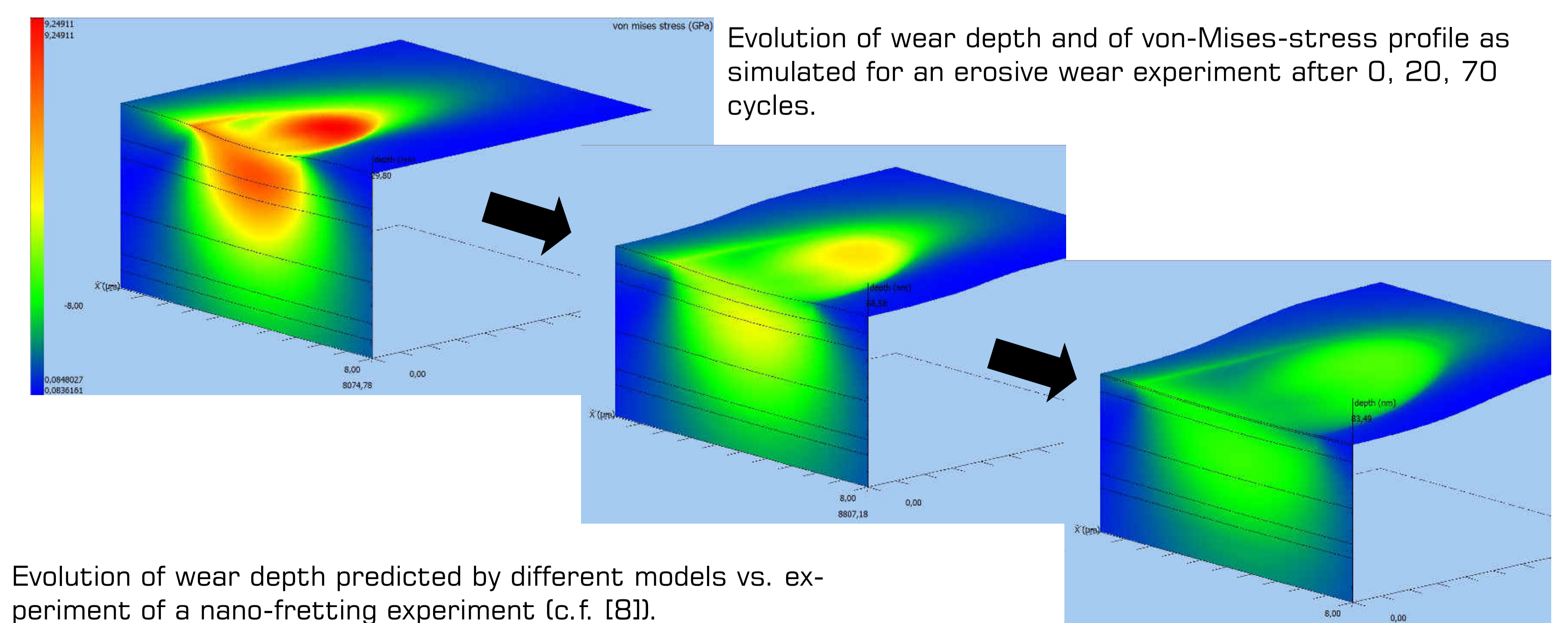
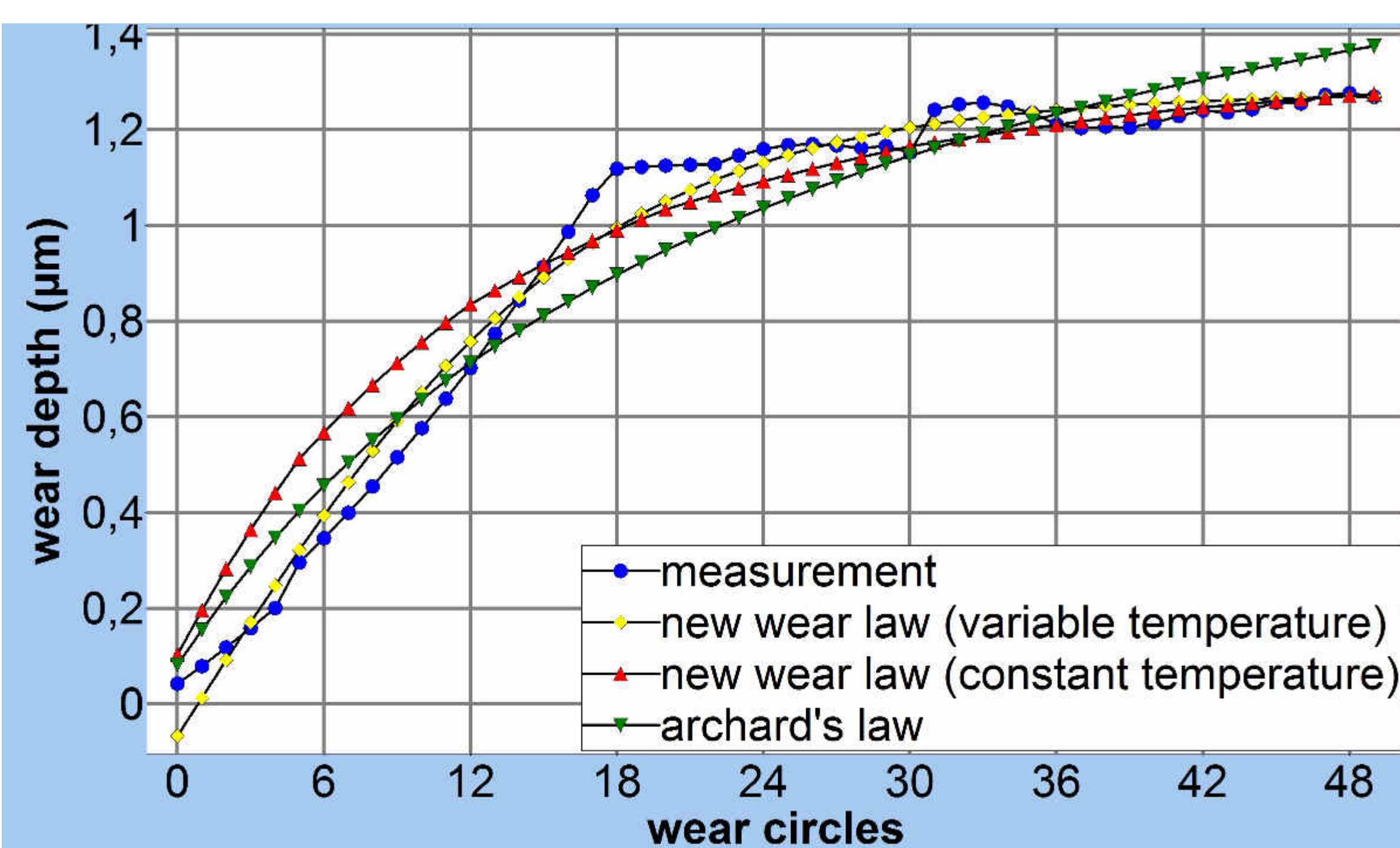
Therefore: $F = C(t) \cdot (h - h_0(t))^{m(t)}$ $E(t) = E_0 + E_1 e^{-\frac{t}{\tau}}$

$$F = 2 \cdot \left(\frac{1 - \nu_i^2}{E_i} + \frac{1 - \nu_s^2}{E_{s0} + E_{s1} \cdot e^{-\frac{t}{\tau}}} \right)^{-1} \cdot \left[\frac{n}{n+1} \right] \cdot \left(\frac{1}{D^{100}} \cdot \left[1 - \epsilon(n) \cdot \frac{n}{n+1} \right] \right)^{\frac{1}{n}}$$

* $(h - h_0) \left(1 + \frac{1}{n} \right)$

According to [7], this method is the only reliable and stable found in literature which also yields reproducible results.

Results: Physical-Tribological Parameters + Model-Based Wear Predictions



Evolution of wear depth predicted by different models vs. experiment of a nano-fretting experiment (c.f. [8]).

References

- [1] M. Fuchs et al., SIO Online Archive of Publications, 2010, siomec.de/pubs/2010/006. [5] N. Schwarzer, SIO Online Archive of Publications, 2013, siomec.de/pubs/2013/001.
 [2] N. Schwarzer et al., Surface and Coatings Technology 2011, 206 (6). [6] N. Schwarzer, Coatings 2014, 4 (2).
 [3] N. Schwarzer, Phil. Mag. 2012, 92 (13). [7] M. Davies, PhD thesis, University of Nottingham, 2013.
 [4] N. Schwarzer, Materials Research Express 2014, 1 (11). [8] T. Liskiewicz et al., SCT 2013, 237.